

Residence Time → Time spend in the reservoir.

①



$$RT = \frac{\text{Content}}{\text{Flux}}$$

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## Hydrological Cycle

Precipitation  
↓

Evaporation  
↑

Surface of Earth.

RT of water in Earth Atmosphere.

Liquid converted into the ppt

2.5cm depth

Average ppt = 1mt/year = 1meter/year  
Global Average

$$RT = \frac{\text{Content}}{\text{Flux}}$$

$$= \frac{2.5 \text{ cm}}{100 \text{ cm/year}}$$

$$= 0.025 \text{ years}$$

$$= 0.025 \times 365$$

$$RT = 9 \text{ days}$$

(2)

Residence Time of Water in Ocean:

$$RT = \frac{\text{Content}}{\text{Flux}}$$

$$\text{Avg depth} = 3.7 \text{ km}$$

$$= 3700 \text{ m}$$

$$= \frac{3700 \text{ m}}{1 \text{ m/year}} = 3700$$

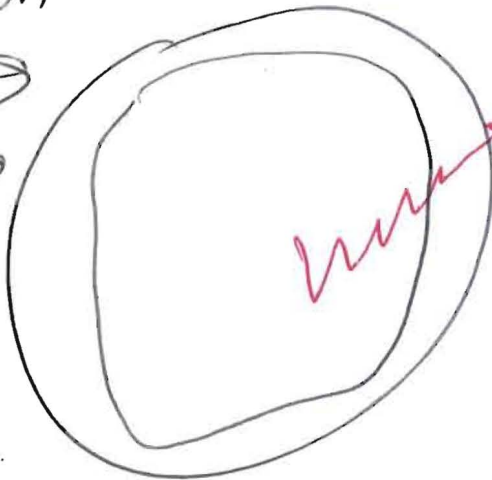
$$RT = 3700 \text{ Years}$$

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# Energy Budget of Earth and Green House Cases.

⑧

Insolation.

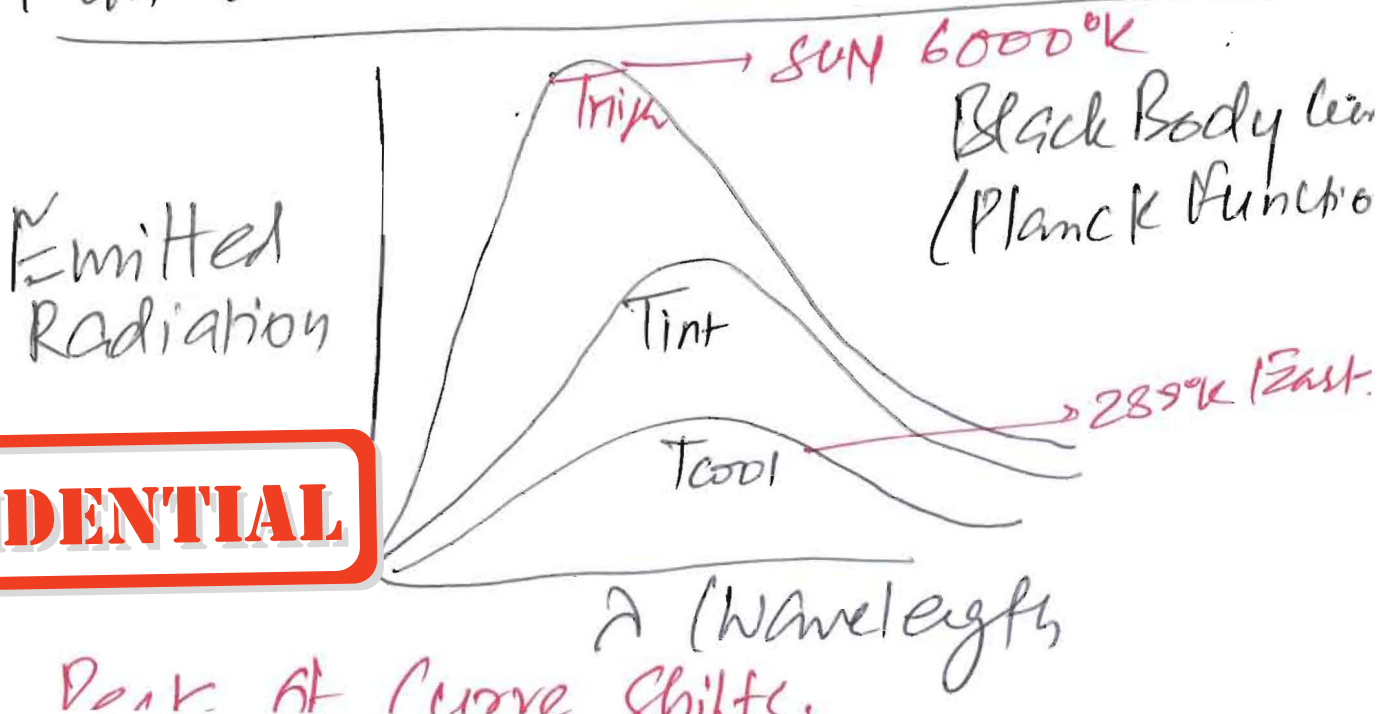


Infrared Radiation

Assume

- 1) Neglect Geothermal Energy
- 2) Assumption Uniform Temperature
- 3) Steady State Condition.

## Fundamental Laws of Radiation



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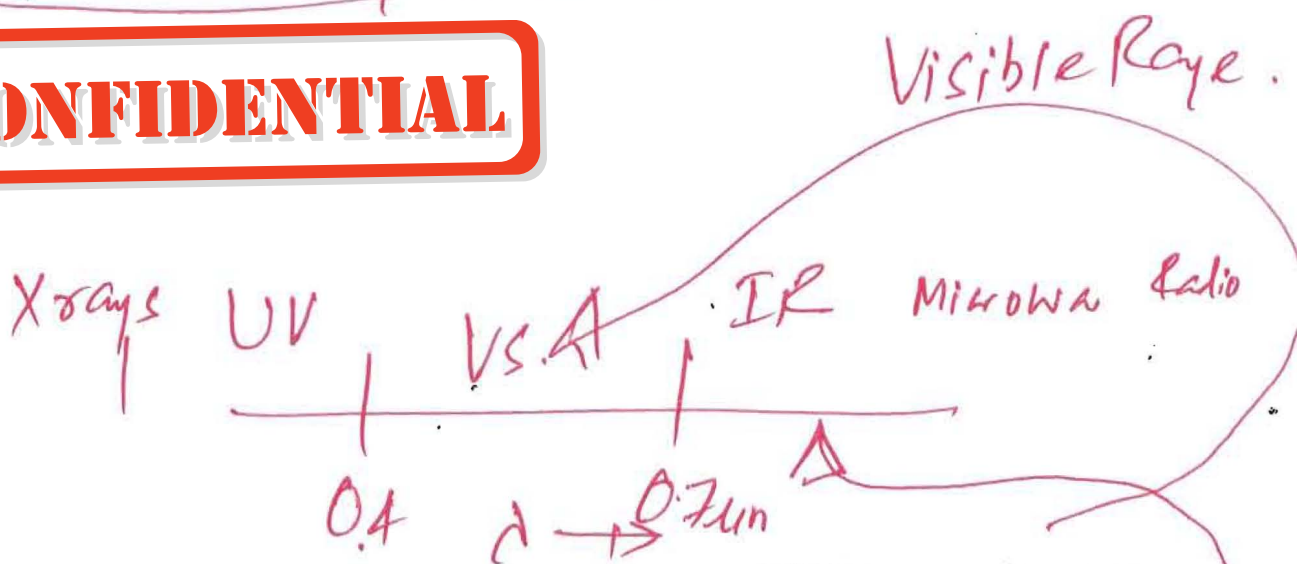
Colour of the Radiation changes as the temperature changes. (Object Area increases also increases).  
 Shift in the peak Refers to Wien's Law. (4)

$$\lambda_{\max} = \frac{2897}{T(K)}$$

$\mu\text{m} = 10^{-6}\text{m}$

## Electromagnetic Spectrum

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$$\text{SUN} = \lambda_{\max} = \frac{2897}{6000} = 0.48 \mu\text{m}$$

$$\text{Earth} = \lambda_{\max} = \frac{2897}{300} = 10 \mu\text{m}$$

= IR Spectrum

Thermal IR region.

Radiation coming from SUN in one range and outgoing in the different Range. (5)

→ Key to understand GHG Concept

Stefan Boltzmann Law

Total Power Area under curve

$$\frac{\text{Power}}{\text{Area}} = \sigma T^4$$

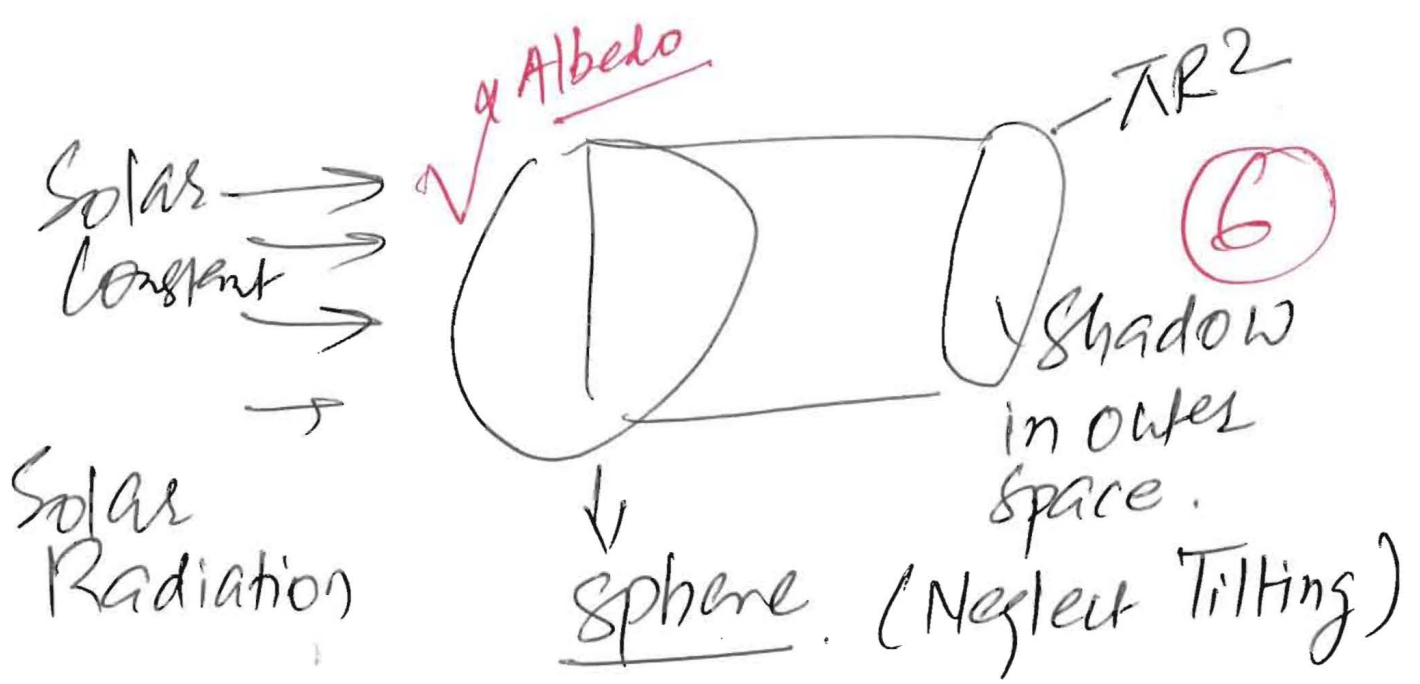
$\sigma$  → Stefan Boltzmann Constant  
 $= 5.735 \times 10^{-8} \text{ Watt/m}^2/\text{K}^4$

Sense of Both the Laws.

Double the temperature then the energy increased 4 times x 4 times  
 $= 16$  times

→ White light sum of all spectrum.

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Solar Constant  $1380 \text{ W/m}^2$

$$\text{Area} = \pi R^2$$

$= R$  Radius of Planet.

Intercepted Radiation

$$= S \pi R^2$$

$S =$  Solar Constant.

Albedo  $=$  Average Reflectivity of Planet

$$\text{Earth} = 0.33 \text{ or } 33\% = a$$

Absorbed Radiation

$$S \pi R^2 (1 - a)$$

$$= S \pi R^2 (1 - 0.33)$$

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Emitted Radiation

Actual surface area of sphere

$$= 4\pi R^2$$

Emitted Radiation

$$= 4\pi R^2 \times T^4$$

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Steady State Assumption

$$S\pi R^2(1-a) = 4\pi R^2 \sigma T^4$$

$$\cancel{S\pi R^2}(1-a) = \cancel{4\pi R^2} \sigma T^4$$

→ No direct impact of Radius of the planet.

$$T^4 = \frac{S(1-a)}{4\sigma}$$

$$T_k = \left[ \frac{S(1-a)}{4\sigma} \right]^{1/4}$$

$$T_k = \left[ \frac{1380(1-0.33)}{4 \times (5.73 \times 10^{-8})} \right]^{1/4}$$

$$T_k = 252^\circ K$$

2 Predicted Temperature for Earth.

$$T = 252^{\circ}\text{K}$$

$$T = -21^{\circ}\text{C}$$

Predicted or Calculated

$$T^{\circ}\text{Actual} = 288^{\circ}\text{K}$$
$$= 15^{\circ}\text{C}$$

(8)

The temperature increased or  
conducive to survive because  
of Green House Gases.

GHG =  $\text{CO}_2$ ,  $\text{H}_2\text{O}$ ,  $\text{CH}_4$ ,  $\text{NO}_2$

Blanket of Earth is Atmosphere  
and GHG present in that.

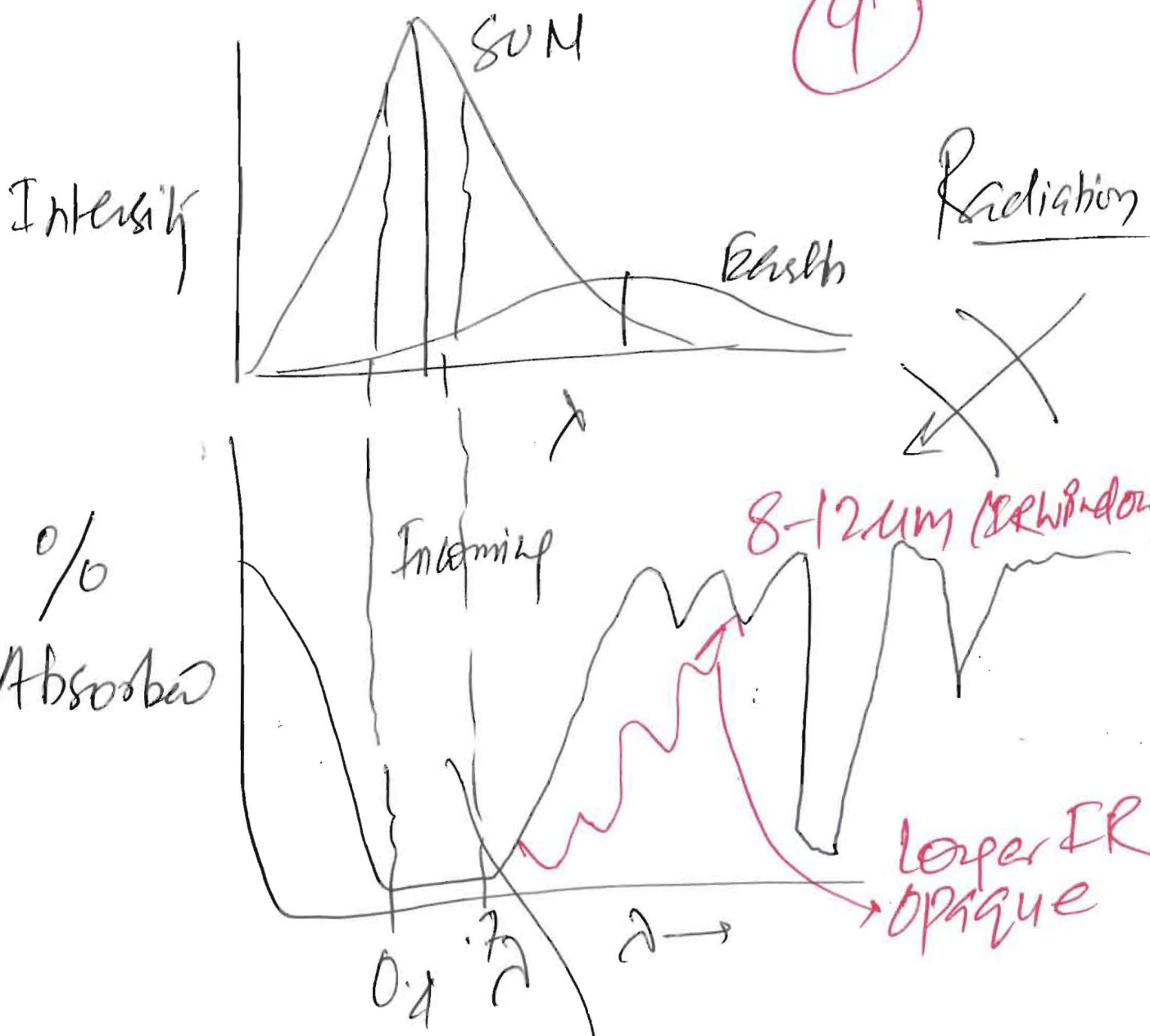
UV, Vis.

IR  
Absorbs

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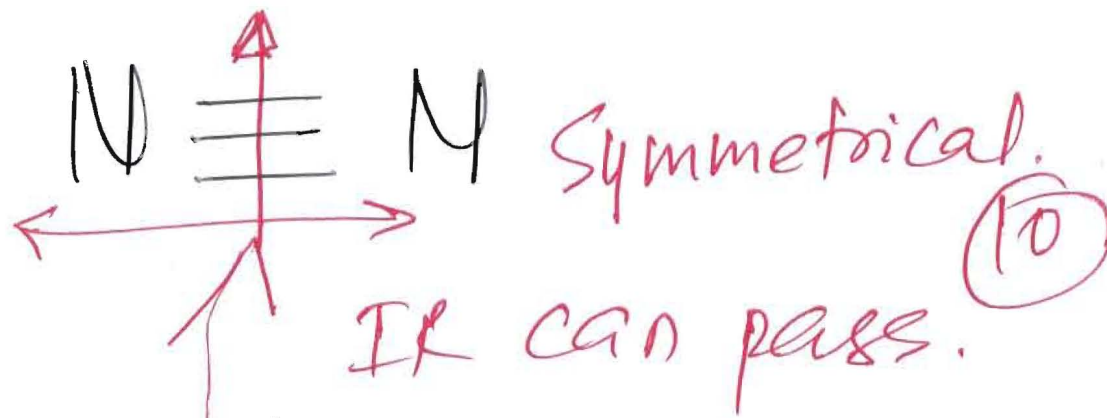


Transparent

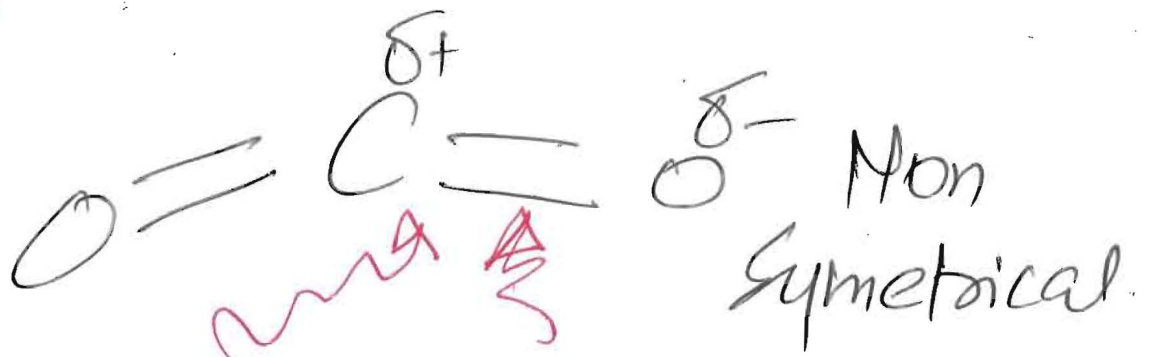
→ Why  $N_2$  is not GHG 78%  
 Why  $O_2$  is not GHG 21%

→ Why  $CO_2$  is GHG though  
 less than 0.5%.

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→ Dipole moment present

→  $\text{CO}_2$  traps IR and acts as GHG



But less RT in atmosphere so cannot act as GHG. Though a cloudy day is cool because cloud stops the

Incoming solar radiation  
and during night it 11  
absorbs the outgoing IR and  
feels warm in night and cool  
in daytime.

This is very much basis of the  
GHG to work principle of  
radiation.

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